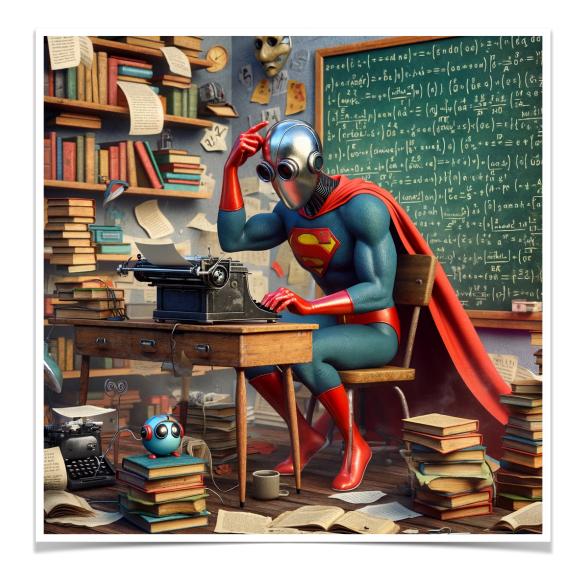
Raw Data

Masked Language Models and BERT



Cornell CS 5740: Natural Language Processing

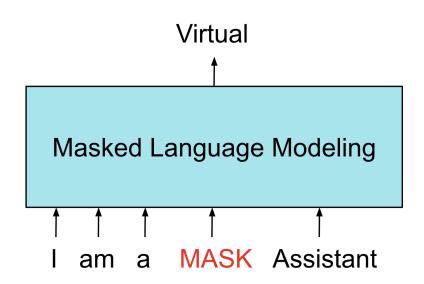
Yoav Artzi, Spring 2023

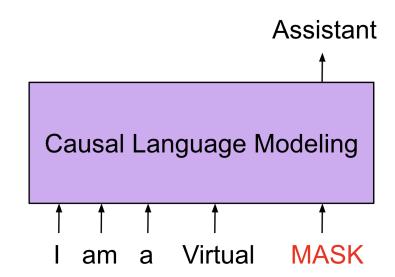
- LMs so far: predict the next token given the previous tokens
- This enables a self-supervised task
- That we can train on a lot of data
- And get really interesting and useful representations

- LMs so far: predict the next token given the previous tokens
- What if we have a complete sentence?
 - Can do the same

- LMs so far: predict the next token given the previous tokens
- What if we have a complete sentence?
 - Can do the same
 - Decode through an LM to compute representations
 - But: representations conditioned on past context only
 - So: missing an opportunity here to incorporate future context
- How can we formulate a self-supervised prediction task?

- We have many sequence of tokens $\bar{x} = \langle x_1, ..., x_n \rangle$
 - Just raw data, like with regular LMs
- Let's create a prediction task by hiding part of the sequence, and then trying to predict them
 - Input: the sequence \bar{x}^M where some tokens are replaced with the token [MASK], for example: $\bar{x}^M = \langle x_1, ..., x_4, [\text{MASK}], x_6, ..., x_n \rangle$
 - Output: a probability distribution over tokens for each masked position such that the correct token gets the highest probability, for example $\arg\max_{\mathscr{V}} p(x_7^M \,|\, \bar{x}^M) = x_7$
 - Training objective: negative log-likelihood for masked tokens





Encoder Transformer

- So far: Transformers self-attend to past tokens to predict the next token
- This is called a Decoder Transformer
- Encoders assume we have the complete sequence
- There is no generation problem, we just want representations
 - We will learn how to use them later on
- The big difference: self-attention is not masked, so computes weighted sum over entire context (i.e., entire sequence)

The Transformer

Decoder-only Variant (revisit)

TransformerBlock^k($\mathbf{u}_1, ..., \mathbf{u}_i$)

$$\mathbf{q}^{(l)} = \mathbf{W}_{q}^{(l)} \mathbf{u}_{i}$$

$$\mathbf{K}^{(l)} = \mathbf{W}_{k}^{(l)} [\mathbf{u}_{1} \cdots \mathbf{u}_{i}]$$

$$\mathbf{V}^{(l)} = \mathbf{W}_{v}^{(l)} [\mathbf{u}_{1} \cdots \mathbf{u}_{i}]$$

$$\mathbf{z} = \text{LN}([\text{SelfAttn}(\mathbf{q}^{(1)}, \mathbf{K}^{(1)}, \mathbf{V}^{(1)}); \cdots;$$

$$\text{SelfAttn}(\mathbf{q}^{(L)}, \mathbf{K}^{(L)}, \mathbf{V}^{(L)})] + \mathbf{u}_{i})$$

$$\mathbf{h}_{i}^{k} = \text{LN}(\mathbf{W}''\text{GELU}(\mathbf{W}'\mathbf{z} + \mathbf{b}') + \mathbf{b}'' + \mathbf{z})$$

Self-attention reminder

$$SelfAttn(\mathbf{Q}, \mathbf{K}, \mathbf{V}) = softmax(\mathbf{Q}\mathbf{K}/\sqrt{d_k})\mathbf{V}$$

$$\mathbf{x}_{i} = \phi(x_{i}) + \phi_{p}(i)$$

$$\mathbf{h}_{i}^{1} = \operatorname{TransformerBlock}^{1}(\mathbf{x}_{1}, ..., \mathbf{x}_{i})$$

$$\mathbf{h}_{i}^{2} = \operatorname{TransformerBlock}^{2}(\mathbf{h}_{1}^{1}, ..., \mathbf{h}_{i}^{1})$$

$$...$$

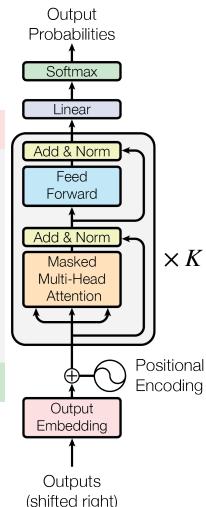
$$\mathbf{h}_{i}^{k} = \operatorname{TransformerBlock}^{k}(\mathbf{h}_{1}^{k-1}, ..., \mathbf{h}_{i}^{k-1})$$

$$...$$

$$\mathbf{h}_{i}^{K} = \operatorname{TransformerBlock}^{K}(\mathbf{h}_{1}^{K-1}, ..., \mathbf{h}_{i}^{K-1})$$

$$p(x_{i+1} | x_{1}, ..., x_{i}) = \operatorname{softmax}(\mathbf{W}^{\mathcal{V}}\mathbf{h}_{i}^{K})$$

During learning, compute the whole sequence at ones by **masking** items you shouldn't attend to in softmax — easy by setting softmax to — ∞



Encoder Transformer*

TransformerBlock^k($\mathbf{u}_1, ..., \mathbf{u}_n$)

$$\mathbf{Q}^{(l)} = \mathbf{W}_q^{(l)} [\mathbf{u}_1 \cdots \mathbf{u}_n]$$

$$\mathbf{K}^{(l)} = \mathbf{W}_k^{(l)} [\mathbf{u}_1 \cdots \mathbf{u}_n]$$

$$\mathbf{V}^{(l)} = \mathbf{W}_{v}^{(l)}[\mathbf{u}_{1} \cdots \mathbf{u}_{n}]$$

$$\mathbf{Z} = \text{LN}([\text{SelfAttn}(\mathbf{Q}^{(1)}, \mathbf{K}^{(1)}, \mathbf{V}^{(1)}); \cdots;$$

SelfAttn(
$$\mathbf{Q}^{(L)}, \mathbf{K}^{(L)}, \mathbf{V}^{(L)}$$
)] + [$\mathbf{u}_1 \cdots \mathbf{u}_n$])

$$[\mathbf{h}_1^k \cdots \mathbf{h}_n^k] = \text{LN}(\mathbf{W}''\text{GELU}(\mathbf{W}'\mathbf{Z} + \mathbf{b}') + \mathbf{b}'' + \mathbf{Z})$$

Self-attention reminder

$$SelfAttn(\mathbf{Q}, \mathbf{K}, \mathbf{V}) = softmax(\mathbf{Q}\mathbf{K}/\sqrt{d_k})\mathbf{V}$$

$$\mathbf{x}_{i} = \phi(x_{i}^{M}) + \phi_{p}(i), i = 1, ..., n$$

$$[\mathbf{h}_{1}^{1} \cdots \mathbf{h}_{n}^{1}] = \operatorname{TransformerBlock}^{1}(\mathbf{x}_{1}, ..., \mathbf{x}_{n})$$

$$[\mathbf{h}_{1}^{2} \cdots \mathbf{h}_{n}^{2}] = \operatorname{TransformerBlock}^{2}(\mathbf{h}_{1}^{1}, ..., \mathbf{h}_{n}^{1})$$

$$...$$

$$[\mathbf{h}_{1}^{k} \cdots \mathbf{h}_{n}^{k}] = \operatorname{TransformerBlock}^{k}(\mathbf{h}_{1}^{k-1}, ..., \mathbf{h}_{n}^{k-1})$$

$$...$$

$$[\mathbf{h}_{1}^{K} \cdots \mathbf{h}_{n}^{K}] = \operatorname{TransformerBlock}^{k}(\mathbf{h}_{1}^{K-1}, ..., \mathbf{h}_{n}^{K-1})$$

$$p(x_{i} | x_{1}^{M}, ..., x_{n}^{M}) = \operatorname{softmax}(\mathbf{W}^{\mathcal{V}} \mathbf{h}_{i}^{K})$$



Output Probabilities

Softmax

Linear

Add & Norm

Feed Forward

Add & Norm

Multi-Head

Attention

Output Embedding

Outputs

(shifted right)

 $\times K$

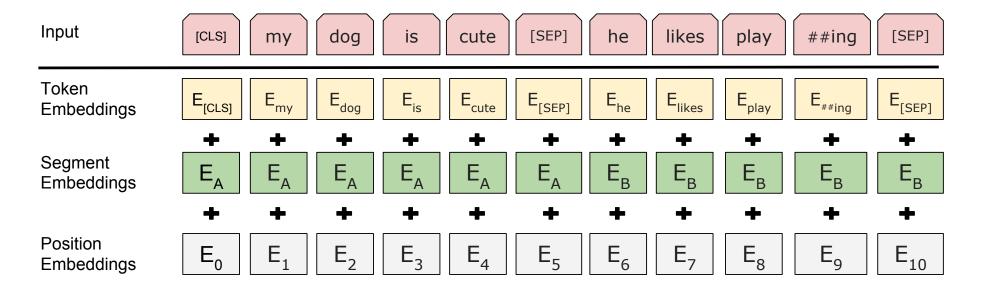
Positional Encoding

Bidirectional Encoder Representations from Transformers

- Encoder transformer
- BERT Base: 12 transformer blocks, 768-dim word-piece tokens,
 12 self-attention heads → 110M parameters
- BERT Large: 24 transformer blocks, 1024-dim word-piece tokens, 16 self-attention heads → 340M parameters
- RoBERTa: same model, much more data (160GB of data instead of 16GB)

Inputs

- One or two sentences
 - Word-piece token embeddings
 - Position and segment embeddings



Word-piece Tokenization (in a nutshell)

- 1. Initialize with tokens for all characters
- 2. While vocabulary size is below the target size:
 - 1. Build a language model over the corpus (e.g., unigram language model)
 - 2. Merge pieces that lead to highest improvement in language model perplexity
- Need to choose a language model that will make the process tractable
- Often a unigram language model (e.g., SentencePiece library)
- Particularly suitable for machine translation

Training

- Data: raw text
- Two objectives:
 - Masked LM
 - Next-sentence prediction
- Later development in RoBERTa:
 - More data, no next-sentence prediction, dynamic masking

Masking Recipe for Training

- Mask and predict 15% of the tokens
 - For 80% (of 15%) replace with the input token with [MASK]
 - For 10%, replace with a random token
 - For 10%, keep the same

Next-sentence Prediction

- Input: [CLS] Text chunk 1 [SEP] Text chunk 2
- Training data: 50% of the time, take the true next chunk of text,
 50% of the time take a random other chunk
- Predict whether the next chunk is the true next chunk
- Prediction is done on the [CLS] output representation

Related Techniques

- Central Word Prediction Objective (context2vec) [Melamud et al. 2016]
- Machine Translation Objective (CoVe) [McMann et al. 2017]
- Bi-directional Language Modeling Objective (ELMo) [Peters et al. 2018]
- Then BERT came ...
- ... and many more followed

What Do We Get?

- We can feed complete sentences to BERT
- For each token, we get a contextualized representation
 - Meaning: computed taking the other tokens in the sentence into acocunt
- In contrast to word2vec representations that fixed and do not depend on context
- While word2vec vectors are forced to mix multiple senses, BERT can provide more instance-specific vectors

How Do We Use It?

- Widely supported by existing frameworks
 - E.g., Transformers library by Hugging Face
- We will soon see how to use it when working with annotated data
- Large BERT models quickly outperformed human performance on several NLP tasks
 - But what it meant beyond benchmarking was less clear
- Started an arms race towards bigger and bigger models, which quickly led to the LLMs of today

What It Is Not Great For?

- BERT cannot generate text (at least not in an obvious way)
 - Not an autoregressive model, can do weird things like stick a [MASK] at the end of a string, fill in the mask, and repeat
- Masked language models are intended to be used primarily for "analysis" tasks

What does BERT Learn?

- There is a lot of work trying to decipher what BERT learns in its representations
 - Much harder with recent LLMs because they are not as open
- Some very interesting results, but not completely clear how to interpret them

What Does BERT Learn?

- Try to solve different linguistic tasks given each block level, without fine-tuning
 - Specifically: solve tasks using mixing weights on levels
- Goal: see what information each new level adds
- Each task classifier takes a single mixed hidden representation $\mathbf{h}_{i,\tau}$ or a pair of representations for two tokens

i : token index

K: number of block levels

 τ : task

 γ_{τ} : task parameter

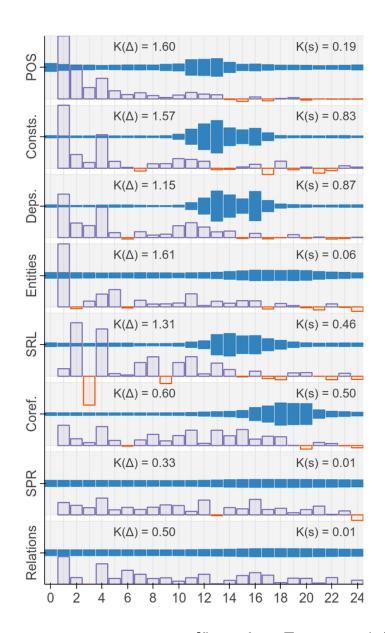
 \mathbf{a}_{τ} : mixing parameters

$$\mathbf{s}_{\tau} = \operatorname{softmax}(\mathbf{a}_{\tau})$$

$$\mathbf{h}_{i,\tau} = \gamma_{\tau} \sum_{k=0}^{K} s_{\tau}^{k} \mathbf{h}_{i}^{k}$$

What Does BERT Learn?

- Each plot shows a task
- Plots show \mathbf{S}_{τ}^{k} weights magnitude in blue, and the number of self-attention levels
- The performance delta when adding this layer is in purple
- Largely: higher level semantic tasks happen in later levels



Acknowledgements

We thank the following sources for the materials on which slides on this deck are based:

UT Austin CS 388 by Greg Durrett